



**Q1(A) Four alternative answer are given for every subquestion. Select the correct alternative and write the alphabet of that answer :**

**(4)**

(1) Co-ordinates of origin are .....

a) (0,0)

c) (0,1)

b) (1,0)

d) (1,1)

(2) If a, b, c are sides of a triangle and  $a^2 + b^2 = c^2$ , name the type of triangle.

a) Obtuse angled triangle

c) Acute angled triangle

b) Right angled triangle

d) Equilateral triangle

(3) Chords AB and CD of a circle intersect inside the circle at point E. If AE = 4, EB = 10, CE = 8 then find ED.

a) 7

c) 5

b) 8

d) 9

(4) If radius of the base of cone is 7 cm and height is 24 cm, then find its slant height.

a) 23 cm

c) 26 cm

b) 31 cm

d) 25 cm

**(B) Solve the following subquestions :**

**(4)**

(1) If radius of a circle is 5 cm, then find the length of longest chord of a circle.

(2) If  $\triangle ABC \sim \triangle PQR$  and  $\frac{A(\triangle ABC)}{A(\triangle PQR)} = \frac{16}{25}$ , then find AB : PQ.

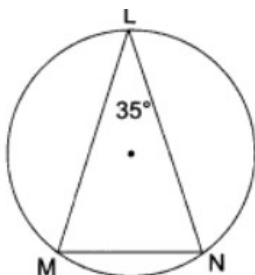
(3) Find the distance between the points O(0,0) and P(3,4).

(4) In  $\triangle RST$ ,  $\angle S = 90^\circ$ ,  $\angle T = 30^\circ$ , RT = 12 cm then find RS.

**Q2(A) Complete the following activities and rewrite it (any two) :**

**(4)**

(1)



In the above figure,  $\angle L = 35^\circ$ , find:

(i)  $m(\text{arc MN})$

(ii)  $m(\text{arc MLN})$

Solution

$$i. \angle L = \frac{1}{2} m(\text{arc MN}) \dots\dots\dots (\text{By inscribed angle theorem})$$

$$\therefore \square = \frac{1}{2} m(\text{arc MN})$$

$$\therefore 2 \times 35 = m(\text{arc MN})$$

$$\therefore m(\text{arc MN}) = \square$$

$$ii. m(\text{arc MLN}) = \square - m(\text{arc MN}) \dots\dots\dots [\text{Definition of measure of arc}]$$

$$= 360^\circ - 70^\circ$$

$$\therefore m(\text{arc MLN}) = \square$$

(2) Find the surface area of a sphere of radius 7 cm.

$$\text{The surface area of the sphere} = 4\pi r^2$$

$$= 4 \times \frac{22}{7} \times \square^2$$

$$= 4 \times \frac{22}{7} \times \square$$

$$= \square \times 7$$

$$\therefore \text{The surface area of the sphere} = \square \text{ sq.cm.}$$

(3) Show that,  $\cot \theta + \tan \theta = \operatorname{cosec} \theta \times \sec \theta$ .

**Activity:**

$$\text{L.H.S} = \square$$

$$= \frac{\square}{\sin \theta} + \frac{\sin \theta}{\cos \theta}$$

$$= \frac{\cos^2 \theta + \sin^2 \theta}{\square}$$

$$= \frac{1}{\sin \theta \cdot \cos \theta} \dots\dots [\cos^2 \theta + \sin^2 \theta = \square]$$

$$= \frac{1}{\sin \theta} \times \frac{1}{\square}$$

$$= \square$$

$$= \text{R.H.S}$$

**(B) Solve the following subquestions (any four) :**

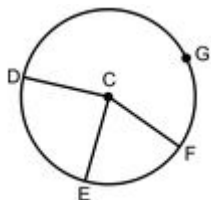
**(8)**

(1) A person is standing at a distance of 50 m from a temple looking at its top. The angle of elevation is  $45^\circ$ . Find the height of the temple.

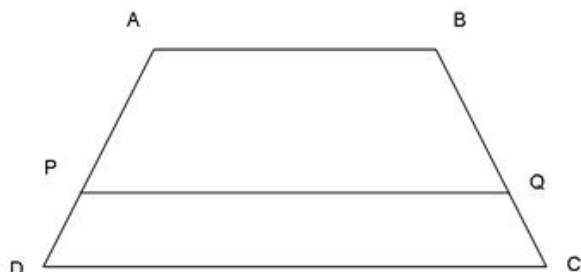
(2) Show that points A(-1, -1), B(0, 1), C(1, 3) are collinear.

(3) Find the diagonal of a rectangle whose length is 35 cm and breadth is 12 cm.

(4) In the figure, points G, D, E, F are concyclic points of circle with centre C.  $\angle ECF = 70^\circ$ ,  $m(\text{arc DGF}) = 200^\circ$ . Find  $m(\text{arc DE})$  and  $m(\text{arc DEF})$ .



(5) In trapezium ABCD, side AB || side PQ || side DC, AP = 15, PD = 12, QC = 14, find BQ.



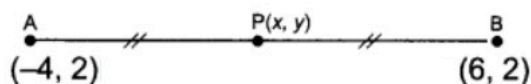
**Q3(A) Complete the following activity and rewrite it (any one) :**

(3)

(1) Find the co-ordinates of point P where P is the midpoint of a line segment AB with A(-4,2) and B(6,2).

Solution:

Solution:



Suppose,  $(-4, 2) = (x_1, y_1)$  and  $(6, 2) = (x_2, y_2)$ , and co-ordinates of P are  $(x, y)$

∴ According to midpoint theorem

$$x = \frac{x_1 + x_2}{2} = \frac{\boxed{\phantom{00}} + 6}{2} = \frac{\boxed{\phantom{00}}}{2} = \boxed{\phantom{00}}$$

$$y = \frac{y_1 + y_2}{2} = \frac{2 + \boxed{\phantom{00}}}{2} = \frac{4}{2} = \boxed{\phantom{00}}$$

∴ Co-ordinates of midpoint P are  

(2) In  $\Delta PQR$ , seg PM is a median. Angle bisectors of  $\angle PMQ$  and  $\angle PMR$  intersect side PQ and side PR in points X and Y respectively. Prove that  $XY \parallel QR$ . Complete the proof by filling in the boxes.

Ray MX is the bisector of  $\angle PMQ$

$$\therefore \frac{MP}{MQ} = \frac{\boxed{\phantom{00}}}{\boxed{\phantom{00}}} \dots\dots\dots \text{(I) [Theorem of angle bisector]}$$

Similarly, in  $\Delta PMR$ , Ray MY is bisector of  $\angle PMR$

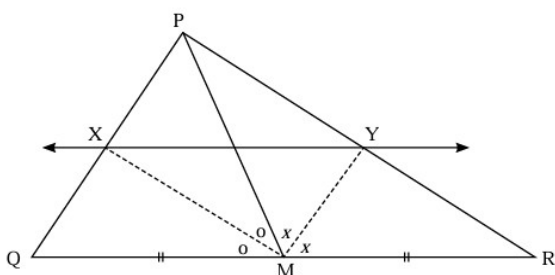
$$\therefore \frac{MP}{MR} = \frac{\boxed{\phantom{00}}}{\boxed{\phantom{00}}} \dots\dots \text{(II) [Theorem of angle bisector]}$$

$$\text{But } \frac{MP}{MQ} = \frac{MP}{MR} \dots\dots\dots \text{(III) [As M is the midpoint of QR]}$$

Hence,  $MQ = MR$

$$\therefore \frac{PX}{\boxed{\phantom{00}}} = \frac{\boxed{\phantom{00}}}{YR} \dots\dots\dots \text{[From (I), (II) and (III)]}$$

∴  $XY \parallel QR$  .....[Converse of basic proportionality theorem]



**(B) Solve the following subquestions (any two) :****(6)**

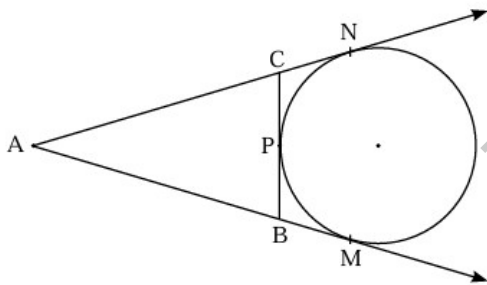
- (1) In  $\triangle ABC$  seg AP is a median. If  $BC = 18$ ,  $AB^2 + AC^2 = 260$ . Find AP.
- (2) Prove that, "Angles inscribed in the same arc are congruent".
- (3) Draw a circle of radius 3.3 cm. Draw a chord PQ of length 6.6 cm. Draw tangents to the circle at points P and Q.
- (4) The radii of circular ends of a frustum are 14 cm and 6 cm respectively and its height is 6 cm. Find its curved surface area. ( $\pi = 3.14$ )

**Q4) Solve the following subquestions (any two) :****(8)**

- (1) An ice-cream pot has a right circular cylindrical shape. The radius of the base is 12 cm and height is 7 cm. This pot is completely filled with ice-cream. The entire ice-cream is given to the students in the form of right circular ice-cream cones, having diameter 4 cm and height is 3.5 cm. If each student is given one cone, how many students can be served ?
- (2)  $\triangle SHR \sim \triangle SVU$ . In  $\triangle SHR$ ,  $SH = 4.5$  cm,  $HR = 5.2$  cm,  $SR = 5.8$  cm and  $\frac{SH}{SV} = \frac{5}{3}$  then draw  $\triangle SVU$ .
- (3) In  $\triangle ABC$ , seg  $DE \parallel$  side  $BC$ . If  $2A(\triangle ADE) = A(\square DBCE)$ , find  $AB : AD$  and show that  $BC = \sqrt{3}DE$ .

**Q5) Solve the following subquestions (any one) :****(3)**

- (1) Eliminate  $\theta$  if  $x = r \cos \theta$  and  $y = r \sin \theta$ .
- (2) A circle touches side BC at point P of the  $\triangle ABC$ , from outside of the triangle. Further extended lines AC and AB are tangents to the circle at N and M respectively. Prove that :  $AM = \frac{1}{2}(\text{Perimeter of } \triangle ABC)$ .



All the Best